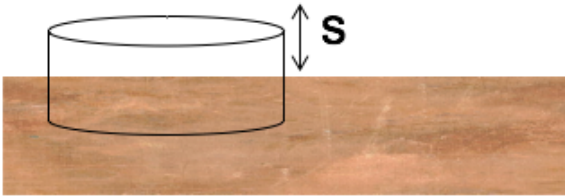


We have a large copper plate with uniform surface charge density,  $\sigma$ . Imagine the Gaussian surface drawn below. Calculate the E-field a small distance  $s$  above the conductor surface.



- A.  $|E| = \frac{\sigma}{\epsilon_0}$
- B.  $|E| = \frac{\sigma}{2\epsilon_0}$
- C.  $|E| = \frac{\sigma}{4\epsilon_0}$
- D.  $|E| = \frac{1}{4\pi\epsilon_0} \frac{\sigma}{s^2}$
- E.  $|E| = 0$

# ANNOUNCEMENTS

- Exam 1 TONIGHT (7pm-9pm)
  - 101 BCH
  - Help session tonight: 5-6:30 (1300 BPS)
- DC out of town next Wed night - Friday
  - Help session in limbo at the moment
  - Class on Friday - Dr. Rachel Henderson

A positive charge ( $q$ ) is outside a metal conductor with a hole cut out of it at a distance  $a$  from the center of the hole.

What is the *net* electric field at center of the hole?

A.  $\frac{1}{4\pi\epsilon_0} \frac{q}{a^2}$

B.  $\frac{-1}{4\pi\epsilon_0} \frac{q}{a^2}$

C.  $\frac{1}{4\pi\epsilon_0} \frac{2q}{a^2}$

D.  $\frac{-1}{4\pi\epsilon_0} \frac{2q}{a^2}$

E. Zero

E. Zero

With  $\nabla \times \mathbf{E} = 0$ , we know that,

$$\oint \mathbf{E} \cdot d\mathbf{l} = 0$$

If we choose a loop that includes a metal and interior vacuum (i.e., both in and **inside the hole**), we know that the contribution to this integral in the metal vanishes. What can we say about the contribution in the hole?

- A. It vanishes also
- B.  $\mathbf{E}$  must be zero in there
- C.  $\mathbf{E}$  must be perpendicular to  $d\mathbf{l}$  everywhere
- D.  $\mathbf{E}$  is perpendicular to the metal surface
- E. More than one of these

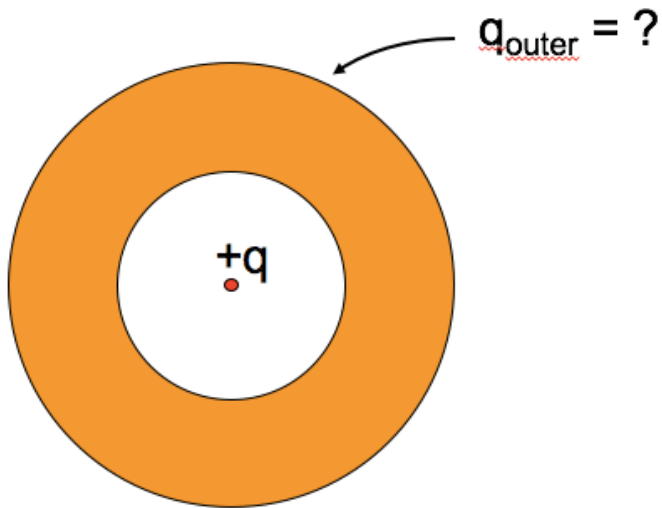
With  $\nabla \times \mathbf{E} = 0$ , we know that,

$$\oint \mathbf{E} \cdot d\mathbf{l} = 0$$

If we choose a loop that includes a metal and vacuum (i.e., both in and **just outside of the metal**), we know that the contribution to this integral in the metal vanishes. What can we say about the contribution just outside the metal?

- A. It vanishes also
- B.  $\mathbf{E}$  must be zero out there
- C.  $\mathbf{E}$  must be perpendicular to  $d\mathbf{l}$  everywhere
- D.  $\mathbf{E}$  is perpendicular to the metal surface
- E. More than one of these

A neutral copper sphere has a spherical hollow in the center. A charge  $+q$  is placed in the center of the hollow. What is the total charge on the outside surface of the copper sphere? (Assume Electrostatic equilibrium.)

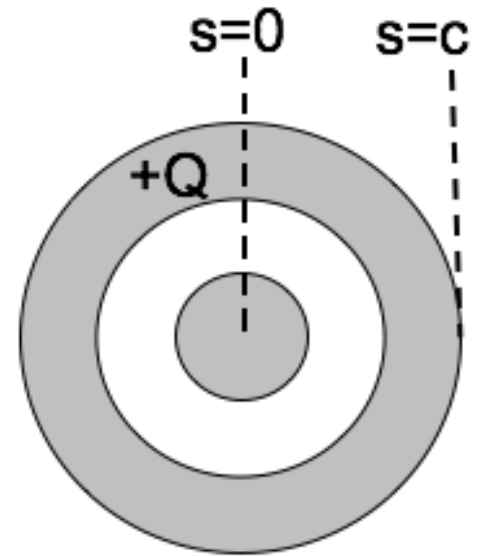


- A. Zero
- B.  $-q$
- C.  $+q$
- D.  $0 < q_{outer} < +q$
- E.  $-q < q_{outer} < 0$

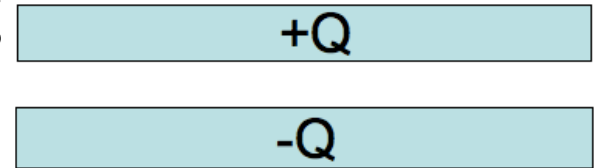
A long coax has total charge  $+Q$  on the OUTER conductor. The INNER conductor is neutral.

What is the sign of the potential difference,  $\Delta V = V(c) - V(0)$ , between the center of the inner conductor ( $s = 0$ ) and the outside of the outer conductor?

- A. Positive
- B. Negative
- C. Zero



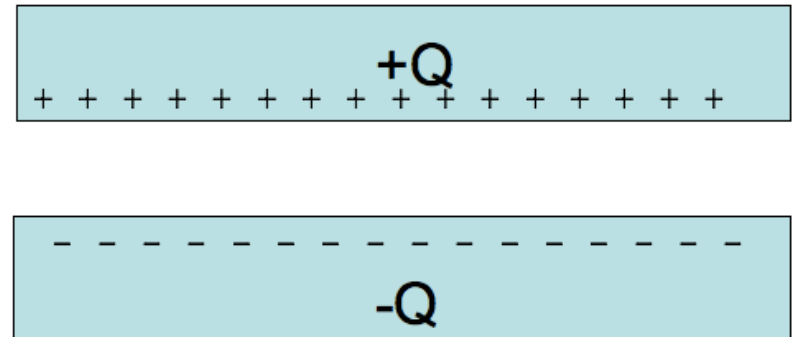
Given a pair of very large, flat, conducting capacitor plates with total charges  $+Q$  and  $-Q$ . Ignoring edges, what is the equilibrium distribution of the charge?



- A. Throughout each plate
- B. Uniformly on both side of each plate
- C. Uniformly on top of  $+Q$  plate and bottom of  $-Q$  plate
- D. Uniformly on bottom of  $+Q$  plate and top of  $-Q$  plate
- E. Something else



Given a pair of very large, flat, conducting capacitor plates with surface charge densities  $+/- \sigma$ , what is the E field in the region between the plates?



- A.  $\sigma/2\epsilon_0$
- B.  $\sigma/\epsilon_0$
- C.  $2\sigma/\epsilon_0$
- D.  $4\sigma/\epsilon_0$
- E. Something else