

The time rate of change of the energy density is,

$$\frac{\partial}{\partial t} u_q = -\frac{\partial}{\partial t} \left( \frac{\epsilon_0}{2} E^2 + \frac{1}{2\mu_0} B^2 \right) - \nabla \cdot \mathbf{S}$$

$$\text{where } \mathbf{S} = \frac{1}{\mu_0} \mathbf{E} \times \mathbf{B}.$$

How do you interpret this equation? In particular: Does the minus sign on the first term on the right seem ok?

- A. Yup
- B. It's disconcerting, did we make a mistake?
- C. ??

If we integrate the energy densities over a closed volume,  
how would interpret  $\mathbf{S}$ ?

$$\frac{\partial}{\partial t} \iiint (u_q + u_E) d\tau = - \iiint \nabla \cdot \mathbf{S} d\tau = - \iint \mathbf{S} \cdot d\mathbf{A}$$

- A. OUTFLOW of energy/area/time or
- B. INFLOW of energy/area/time
- C. OUTFLOW of energy/volume/time
- D. INFLOW of energy/volume/time
- E. ???

Our global statement of energy conservation is:

$$\frac{dU_q}{dt} + \frac{dU_e}{dt} = - \iint \mathbf{S} \cdot d\mathbf{A}$$

Which term describes that energy of the electromagnetic field?

- A.  $\frac{dU_q}{dt}$
- B.  $\frac{dU_e}{dt}$
- C.  $- \iint \mathbf{S} \cdot d\mathbf{A}$
- D. ???

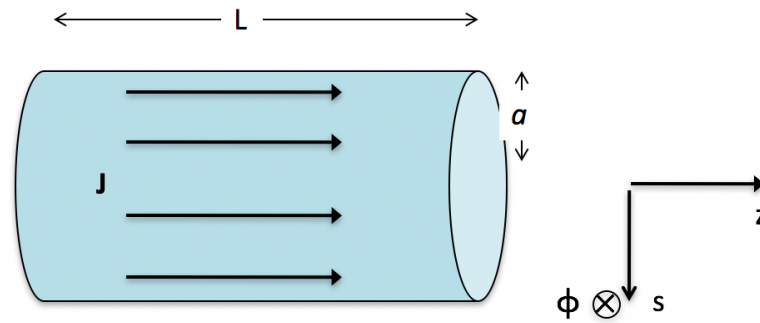
Our global statement of energy conservation is:

$$\frac{dU_q}{dt} + \frac{dU_e}{dt} = - \iint \mathbf{S} \cdot d\mathbf{A}$$

What does the integral term (without the minus sign) refer to?

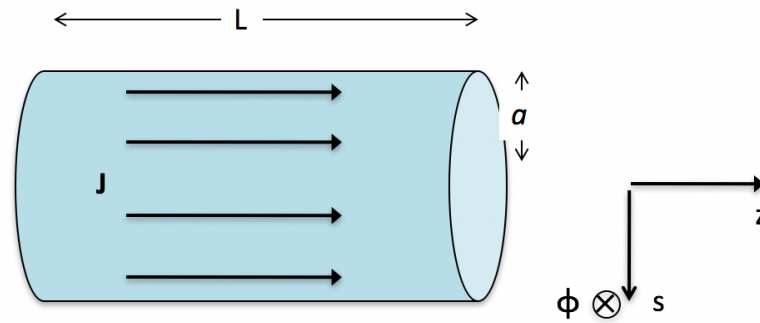
- A. Total energy coming in
- B. Total energy going out
- C. Rate of total energy coming in
- D. Rate of total energy going out

Consider a current  $I$  flowing through a cylindrical resistor of length  $L$  and radius  $a$  with voltage  $V$  applied. What is the E field inside the resistor?



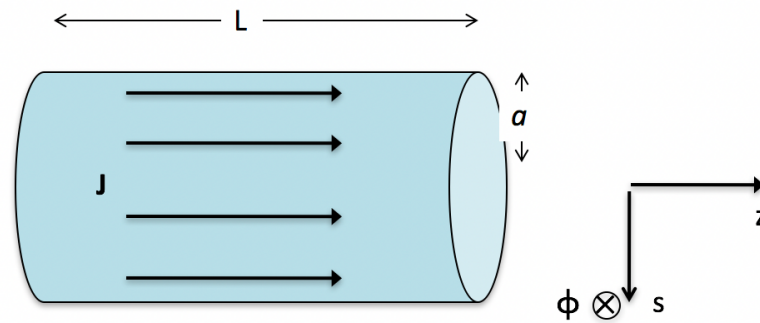
- A.  $(V/L)\hat{z}$
- B.  $(V/L)\hat{\phi}$
- C.  $(V/L)\hat{s}$
- D.  $(Vs/L^2)\hat{z}$
- E. None of the above

Consider a current  $I$  flowing through a cylindrical resistor of length  $L$  and radius  $a$  with voltage  $V$  applied. What is the B field inside the resistor?

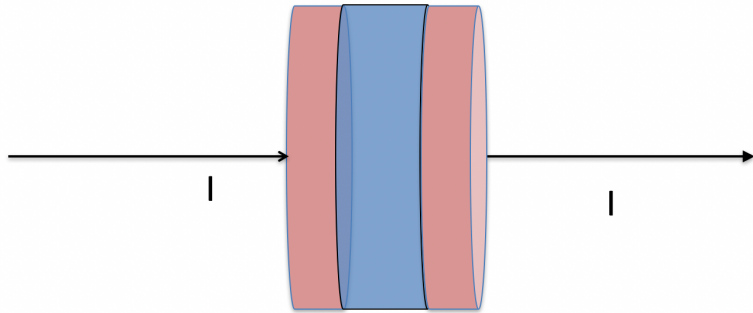


- A.  $(I\mu_0/2\pi s)\hat{\phi}$
- B.  $(I\mu_0 s/2\pi a^2)\hat{\phi}$
- C.  $(I\mu_0/2\pi a)\hat{\phi}$
- D.  $-(I\mu_0/2\pi a)\hat{\phi}$
- E. None of the above

Consider a current  $I$  flowing through a cylindrical resistor of length  $L$  and radius  $a$  with voltage  $V$  applied. What is the direction of the  $\mathbf{S}$  vector on the outer curved surface of the resistor?



- A.  $\pm \hat{\phi}$
- B.  $\pm \hat{s}$
- C.  $\pm \hat{z}$
- D. ???



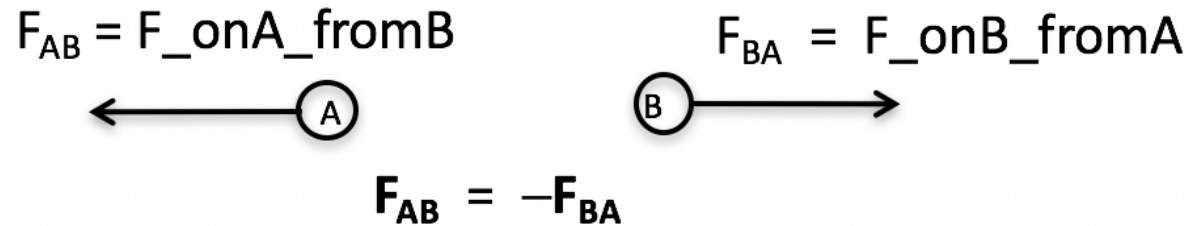
Consider the cylindrical volume of space bounded by the capacitor plates. Compute  $\mathbf{S} = \mathbf{E} \times \mathbf{B}/\mu_0$  at the outside (cylindrical, curved) surface of that volume. Which WAY does it point?

- A. Always inward
- B. Always outward
- C. ???



The energies stored in the electric and magnetic fields are:

- A. individually conserved for both **E** and **B**, and cannot change.
- B. conserved only if you sum the **E** and **B** energies together.
- C. are not conserved at all.
- D. ???



Newton's 3rd Law is equivalent to...

- A. Conservation of energy
- B. Conservation of linear momentum
- C. Conservation of angular momentum
- D. None of these. NIII is a separate law of physics.

Consider two point charges, each moving with constant velocity  $\mathbf{v}$ , charge 1 along the  $+x$  axis and charge 2 along the  $+y$  axis. They are equidistant from the origin.

What is the direction of the magnetic force on charge 1 from charge 2? (*You'll need to sketch this! Don't do it in your head!*)

- A.  $+x$
- B.  $+y$
- C.  $+z$
- D. More than one of the above
- E. None of the above

Consider two point charges, each moving with constant velocity  $\mathbf{v}$ , charge 1 along the  $+x$  axis and charge 2 along the  $+y$  axis. They are equidistant from the origin.

What is the direction of the magnetic force on charge 2 from charge 1? (You'll need to sketch this! Don't do it in your head!)

- A. Equal to the answer of the previous question
- B. Equal but opposite to the answer of the previous question
- C. Something *different* than either of the above.