Two small spheres (mass, $m$ ) are attached to insulating strings (length, $L$ ) and hung from the ceiling as shown.

How does the angle (with respect ot the vertical) that the string attached to the $-q$ charge ( $\theta_{1}$ ) compare to that of the $-2 q$ charge $\left(\theta_{2}\right)$ ?

$$
\begin{aligned}
& \text { A. } \theta_{1}>\theta_{2} \\
& \text { B. } \theta_{1}=\theta_{2} \\
& \text { C. } \theta_{1}>\theta_{2} \\
& \text { D. ???? }
\end{aligned}
$$

## MORE SHAMING

## REGISTER YOUR CLICKER

- Allen, Grant
- Bertus, Thomas
- Byrd, Benjamin
- Dara, Jacob
- Ding, Fang
- Evasic, Jacob
- Fowler, David


## REGISTER YOUR CLICKER

- Hindenach, John
- Lewis, Jim
- Li, Zihan
- Myers, Cody
- Wallace, Ian
- Ward, Jenny
- Wicklund, Courtney
- Xu, Fu


## CLASSICAL ELECTROMAGNETISM


$1 \AA=100,000 \mathrm{fm}$
$\sim 10^{8} \mathrm{~m} \longrightarrow \longrightarrow \longrightarrow \longrightarrow \longrightarrow 10^{-16} \mathrm{~m}$
24 orders of magnitude

## ELECTROSTATICS



5 charges, q, are arranged in a regular pentagon, as shown. What is the E field at the center?

A. Zero
B. Non-zero
C. Really need trig and a calculator to decide

1 of the 5 charges has been removed, as shown. What's the $E$ field at the center?

A. $+\left(k q / a^{2}\right) \hat{y}$
B. $-\left(k q / a^{2}\right) \hat{y}$
C. 0
D. Something entirely different!
E. This is a nasty problem which I need more time to solve

If all the charges live on a line (1-D), use:

$$
\lambda \equiv \frac{\text { charge }}{\text { length }}
$$

Draw your own picture. What's $\mathbf{E}(\mathbf{r})$ ?

To find the E-field at P from a thin line (uniform charge density $\lambda$ ):

$$
\mathbf{E}(\mathbf{r})=\frac{1}{4 \pi \varepsilon_{0}} \int \frac{\lambda d l^{\prime}}{\mathfrak{R}^{2}} \hat{\mathfrak{R}}
$$

A. $x$
B. $y^{\prime}$
C. $\sqrt{d l^{\prime 2}+x^{2}}$
D. $\sqrt{x^{2}+y^{\prime 2}}$

E. Something else

$$
\begin{aligned}
& \mathbf{E}(\mathbf{r})=\int \frac{\lambda d l^{\prime}}{4 \pi \varepsilon_{0} \Re^{3}} \vec{\Re}, \text { so: } E_{x}(x, 0,0)=\frac{\lambda}{4 \pi \varepsilon_{0}} \int \ldots \\
& \text { A. } \int \frac{d y^{\prime} x}{x^{3}} \\
& \text { B. } \int \frac{d y^{\prime} x}{\left(x^{2}+y^{\prime 2}\right)^{3 / 2}} \\
& \text { C. } \int \frac{d y^{\prime} y^{\prime}}{x^{3}} \\
& \text { D. } \int \frac{d y^{\prime} y^{\prime}}{\left(x^{2}+y^{\prime 2}\right)^{3 / 2}}
\end{aligned}
$$

E. Something else

What do you expect to happen to the field as you get really far from the rod?

$$
E_{x}=\frac{\lambda}{4 \pi \varepsilon_{0}} \frac{L}{x \sqrt{x^{2}+L^{2}}}
$$

A. $E_{x}$ goes to 0.
B. $E_{x}$ begins to look like a point charge.
C. $E_{x}$ goes to $\infty$.
D. More than one of these is true.
E. I can't tell what should happen to $E_{x}$.

